## Nektar++ Workshop 2016 Imperial College London



Chris Cantwell



David Moxey



Gianmarco Mengaldo



Douglas Serson



## Our anniversary

commit 989db9bf2373cb1f536c5ff2c63fbf8520a64f78
Author: Mike Kirby <kirby@sci.utah.edu>
Date: Thu May 4 18:43:20 2006 +0000

Initial version.

git-svn-id: https://gforge.sci.utah.edu/svn/nektar/trunk@2 305cdda6-5ce1-45b 3-a98d-dfc68c8b3305



## **Our Icon evolution**

Nektar++







## Workshop Outline

- Overview of Nektar++
- Nektar++ Development Strategy
- Future Directions
- User Applications:

4pm-6pm

• ..... dinner !



## Workshop Outline

- Application updates
- New and upcoming features
  - r & p adaption
  - Coordinate transformations
  - NekMesh
- Tutorial sessions



## Nektar++: Spectral/hp element toolkit Imperial College, University of Utah



<u>www.nektar.info</u>

#### Incompressible/compressible Solvers

- Wide range of discretisations: CG/DG, Fourier, modal/nodal with 1, 2 and 3D, embedded manifolds
- Arbitrary-order curvilinear mesh elements for complex domains
- MPI parallelism and scalable to many thousands of cores
- Modern modular C++ object-oriented design with an extensive testing framework
- Cross-platform (Linux, OSX, Windows)
- MIT Licence



## **Nektar++ Applications**



















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## Nektar++ Applications















## Nektar++ Scope

- Scalar basis fields (explicitly coupled)
  - Time dependent non-linear solvers
  - Implies scalar boundary conditions



# $\frac{\text{Nektar++ Scope}}{\prod_{q \in S} h_{q}(\mathbb{S}_{1},\mathbb{S}_{2}) = h_{q}(\mathbb{S}_{1}) h_{q}(\mathbb{S}_{2})}}{\prod_{q \in Q} h_{q}(\mathbb{S}_{1},\mathbb{S}_{2}) = h_{q}(\mathbb{S}_{1}) h_{q}(\mathbb{S}_{2})}} = \frac{1}{p} \int_{\mathbb{T}} \frac{1}{p} \int$

- Tensor nodal & modal product definition
  - Nodal unstructured through mapping





## Nektar++ Scope



- Segment (1D), plane (2D) and volume domains (3D) & manifolds
- Hybrid Domains





- Continuous and Discontinuous approx.
  - DG & Flux Reconstruction





• Homogeneous expansions











## **Recent Developments**







## Collections





## **Other Developments**

## Compressed I/O

\VERTEX COMPRESSED="B64Z-LittleEndian" BITSIZE="64">eJx91T1TFFEUhdt9A9cRcQM38MU VWV2vOyq4gDSiAu6oiEtiomaWEQGRf2ICMquMrfIfQELiaNVLMCExMLN0+syrOfPOe8mr11+fc8+93dOTJMVV8/ IPT5pOWnZM6j/+6vpSN2mzkvACny304+0/3ubGv9uc7Dzxqao3Tb8Z9qH/a8rmCn/o59F11EH9+YJDvyDan70FI it+73D+Hn7Yo2r+zxdF8zpbQdeZVpH/T8CFNU1fqr5ryFU+F0vyWCj36Xyb06G95tL6zFZSf+crgdGZK+VeRnn10 i6JF/NeUfnXqfz+enS/3XCH/o10TzDasV/pjP2mh+Z+tobqiA/tYLjnwbynIVKn4f66P+zuqEHvnrSc/v36agv38 i+m8mf579F6NHfVqFHvm3R+s4aiPP7t73Mf6Zi/o2CI19TdkYunv800vP3Z6fg8G+05n02S9THfHZH6zvbQ5y/H3 isFR759VL948t+X/VF/Zy1Cj/wHgv3796tVcORrI39+/w5G/Z0dEnrk01ymL1TkP5LE19Fs5/8XrGPE+b7jdD/zE iOKP+Z0kzt8JDsT81NDD/3Qw13+PzwSn4v1ZURfrHHHu/7zgyHeB0NdpFxz6i8F8Pv810RfWZeKcv4M45+sM+vs6 iV7Kdnz9+H1fFfMCvif7Br5M/8y7qF/eNff3d1D82bd08kGyB3xD5wXuEP+aQCn/wXuEPfjPo6/P1CQ79LaqI+UB i/m/TM7wg9/PuFHnxAzAX+g2Iu4HeFHvs9ocd+n3Lz83sg0PQPg337+T8SHPrHxHm+Q4JD/yTo7+fzVHDszygP9z i8s0M7Pg3P1/Y8IjvML0nP/LwXH+VXQ3/f/WnDsfwFYCm9Q

#### Note

 $(\mathbf{\hat{b}})$ 

The description below explains how the **GEOMETRY** section is laid out in uncompressed ascii format. From Jan 2016 the distribution uses the compressed format for each of the above sections. To convert a compressed xml file into ascii format use

NekMesh file.msh newfile.xml:xml:uncompress

io-format Hdf5

m\_threadManager->QueueJob(

### HDF 5

## Threading





 A. Bolis, C. Cantwell, D. Moxey, D. Serson, and S. Sherwin, "An adaptable parallel algorithm for the direct numerical simulation of incompressible turbulent flows using a fourier spectral/hp element method and mpi virtual topologies," Computer physics communications, 2016.



 Moxey D, Ekelschot D, Keskin U, Sherwin SJ, Peiro J, 2016, High-order curvilinear meshing using a thermo-elastic analogy, COMPUTER-AIDED DESIGN, 2,130-139





 Mengaldo G, De Grazia D, Vincent PE, Sherwin SJ, 2016, On the Connections Between Discontinuous Galerkin and Flux Reconstruction Schemes: Extension to Curvilinear Meshes, Journal of Scientific Computing, 67,1272-1292



 $\checkmark$  indicates that the schemes are equivalent, whereas X indicates differences between the schemes \* The equivalence holds true for Gauss–Lobatto–Legendre points only

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 R. C. Moura, S. J. Sherwin, and J. Peiró, "Eigensolution analysis of spectral/hp continuous galerkin approximations to advection-diffusion problems: insights into spectral vanishing viscosity," Journal of computational physics, vol. 307, pp. 401-422, 2016.





• Yakovlev S, Moxey D, Kirby RM, Sherwin SJ, 2016, To CG or to HDG: A Comparative Study in 3D, J. Scientific Computing, 67,192-220,





 Chooi KY, Comerford A, Sherwin SJ, Weinberg PD, "Intimal and medial contributions to the hydraulic resistance of the arterial wall at different pressures: a combined computational and experimental study", Journal of the Royal Society Interface, 2016





• Tzortzis KN, Roney CH, Qureshi NA, Ng FS, Lim PB, Sherwin SJ, Peters NS, Cantwell CD, 2016, Influence of left atrial geometry on rotor core trajectories in a model of atrial fibrillation, 481-484,



 Ekelschot D, Peiro J, Moxey D, Sherwin S, A p-adaptation method for compressible flow problems using a goal-based error indicator, Computers and Structures, ISSN: 1879-2243, 2016



Fig. 8. The solutions to the governing (8a) and adjoint (8b) equations for transonic inviscid flow past a NACA 0012 (Ma = 0.8,  $\alpha = 1.25^{\circ}$ ).









 Lombard J-EW, Moxey D, Sherwin SJ, Hoessler JFA, Dhandapani S, Taylor MJ, 2016, Implicit Large-Eddy Simulation of a Wingtip Vortex, AIAA JOURNAL, 54, 506-518, 2016







• Xu H, Sherwin SJ, Hall, P, Wu X, 2016, The behaviour of Tollmien-Schlichting waves undergoing small-scale localised distortions, JOURNAL OF FLUID MECHANICS, 792,499-525





 D. Serson, J. Meneghini, and S. Sherwin, "Velocity-correction schemes for the incompressible Navier-Stokes equations in general coordinate systems," Journal of computational physics, 316, 243-254, 2016.









## Adaptive Polynomial Order

The basic steps of the adaptive procedure are:

- 1) Advance the equation for steps
- 2) Estimate the spatial resolution error in each element by

$$S_{e} = \frac{||u_{P} - u_{P-1}||_{2,e}^{2}}{||u_{P}||_{2,e}^{2}}$$

3) Modify the polynomial order in each element using the following rule

- If S\_e > ε\_u and P<P\_max, increase P by 1</li>
- If S\_e <  $\epsilon_I$  and P>P\_min, decrease P by 1
- Maintain P if none of the above is true
- 4) Project the solution to the new polynomial space
- 5) Repeat the procedure for  $n_{runs}$



## Adaptive Polynomial Order

• Example: Naca0012 with Re=50,000 and alpha=15 ( $P_{min} = 2$ ,  $P_{max} = 9$ )







 Y. Bao, R. Palacios, M. Graham, S. Sherwin, "Generalized thick strip modelling for vortex-induced vibration of long flexible cylinders" Journal of computational physics, accepted, 2016.



## Send us your papers!



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Group Photo

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